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Photocatalytic rate dependence on light absorption properties of different TiO₂ specimens

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7 Abstract

8 The light absorption and scattering play a prominent and often underrated role in the 9 overall photocatalytic process and heavily affect the rate. This is particularly important for the 10 choice of the catalyst in addition to other chemical and physical parameters usually 11 considered for their catalytic role. Here we propose an approximated but easy-to-apply 12 method to evaluate the light harvested by the photocatalyst slurry and its scattering/absorption 13 coefficients, which does not require the use of complex spectrophotometric tools and the 14 complicated radiative transport equation. The optical properties are obtained with the lamp 15 and in the experimental setup employed in the photocatalytic batch tests. Among the four 16 TiO₂ specimens considered, we characterized Evonik P25 and Hombikat UV100. The 17 obtained scattering and absorption coefficients helped in rationalizing the experimental results 18 on the degradation of formic acid at low concentration. From the rate dependence on the 19 catalyst concentration, this approach allowed further understanding of the role of catalyst-20 specific properties affecting the overall catalytic performance. This approach is proposed as a 21 starting point for fixing conditions to compare different photocatalysts.

22 Keywords

Photocatalysis, TiO₂ specimens, kinetic analysis, scattering, absorption coefficient, formic
 acid.

25

26 **1. Introduction**

In the last decades many reports demonstrated that heterogeneous photocatalysis has unrivalled ability to abate persistent pollutants often until complete mineralization.[1-5] Nevertheless, commercial applications are still limited, because of the low efficiency in terms of low quantum yield and of the scarce ability of the most active photocatalysts to absorb solar light, increasing the costs and the requirement for water-treatment plants. [6]

32 The fundamentals of semiconductor photocatalysis are now well understood, and there is a 33 general consensus that the photocatalytic process starts with the absorption of a photon (with energy hv) from a semiconductor characterized by an energy gap E_g lower than the photon 34 energy $(h\nu \ge E_{g})$. This photoexcitation causes a change of the redox properties of the 35 36 semiconductor surface, allowing charge transfer reactions through the semiconductor/solution 37 interface. [7] The net result is the oxidation of the dissolved contaminants and the reduction of 38 the electron acceptor - usually molecular oxygen and/or a reducible adsorbed substrate [8] -39 catalyzed by the irradiated semiconductor. [9, 10] Besides this apparent simplicity, the overall photocatalytic rate is the result of the complex interplay among many elementary reactions, 40 41 whose relative importance is a complicated, and usually not reported function of the 42 experimental setup and type of catalyst. An exhaustive mathematical treatment of the 43 photocatalytic process results very complex and is still object of debate.

44 Several treatments to describe the photocatalytic rate have been proposed. One of the first 45 and most successful models was the Langmuir-Hinshelwood (L-H) [7, 11, 12], which 46 describes the degradative process in conditions of substrate adsorption at the catalysts surface. Per se the L-H treatment would be correct if the surface concentrations of reactive species, 47 48 namely free or trapped electrons and holes, were fixed and constant, which is usually not the 49 case. In general, these concentrations are function of the incident photon flux and the 50 substrate nature and concentration. Conversely, the adsorption constants derived from the L-H 51 model decrease with increasing light intensity, while the rate constant increases. [13] 52 Therefore, L-H kinetic model cannot describe the overall rate, as demonstrate by Emeline and 53 co-workers [14] and by Minero and Vione. [15] Despite the large agreement on the 54 inadequacy of L-H model to interpret photocatalytic kinetic data, [7] it is largely diffuse the 55 habit to correlate uncritically the Langmuir adsorption coefficients of the studied substrate 56 with the related kinetic data forgetting that: *i*) the literature demonstrated the inadequacy of 57 this model [16]; *ii*) the best isotherm describing the adsorption of a molecules on the surface 58 of the most diffused photocatalysts is the Freundlich isotherm [17] and not the Langmuir one, 59 although the last is useful for simple modelling. In 2007, Salvador and co-workers [18] based on the model of reference [15] - developed the "Direct-Indirect" (D-I) kinetic model, 60 61 assuming two different kinds of charge transfer to solution species, namely adiabatic and 62 inelastic. The model was able to fit different sets of experimental data better than the L-H

model, [19] but still unsatisfactory, as in 2011 Rios et al. [20] stressed again the importance of
back-reactions in the photocatalytic process, previously and largely supported by Minero and
co-workers [11, 19, 21].

66 All these models highlights the importance of the chemical phenomena involved in the photocatalytic process, like adsorption, back-reactions, charge transfer dynamic and 67 recombination. However, the light harvesting plays an equally important role in determining 68 69 the rate, [15] as highlighted in the recent review by Egerton. [22] The optical properties of the 70 semiconductor slurry are strongly related even with the state of agglomeration of the primary 71 particles that dramatically influences the overall extinction properties (scattering and 72 absorption) and ultimately the kinetics of the photocatalytic process. [22, 23] As a 73 consequence, the particle dispersion determines the photocatalytic activity, owing to changes 74 in slurry optical features and, therefore, suitable control experiments should be designed. [22] 75 The importance of light absorption by the photocatalyst in the overall photocatalytic process 76 has been evidenced by the impressive research efforts spent in the 3D structuration of 77 photocatalysts to improve their performance. [24] The fact that semiconductor photonic 78 crystals performed better compared with their nanoparticle homologues witnesses that light 79 absorption and efficient light use by the photocatalyst allow significant room for the 80 improvement of the performance. [25, 26]

81 This work focuses on effects of optical properties of some titanium dioxide specimens and 82 on the evaluation of their role on the photocatalytic efficiency. We propose a simple 83 experimental approach to estimate the optical parameters of slurries in the same apparatus that 84 can be used to carry out the photocatalytic experiments. This procedure was applied to two 85 different commercial TiO₂ specimens (Evonik P25 and Hombikat UV100). Furthermore, the 86 relationship between the optical parameters and the kinetics of the photocatalytic process was 87 assessed by monitoring formic acid transformation in the presence of the same TiO₂ 88 photocatalysts at different loadings.

89 **2. Theoretical background**

90 Among many possible kinetic models, the quadratic kinetic model [15] gives a rate 91 expression that is able to correctly predict the dependence on incident light intensity, initial 92 substrate concentration and catalyst loading. This model was extensively validated [27], and 93 has the advantage of having only one kinetic parameter, thus only one degree of freedom, that 94 can help to avoid overfitting. [28] To determine and measure the influence played by the 95 optical parameters of titanium dioxide suspensions on their photocatalytic efficiency we 96 started from the expression of quantum yield η in the case of a photocatalytic process 97 characterized by current doubling (see paragraph 4.2) [15]:

98
$$\eta = -\frac{y}{2} + \sqrt{\frac{y}{2}(\frac{y}{2}+2)}$$
 (1)

99 where the dimensionless master variable $y = k_0 \cdot C_{Redl} \cdot C_{Ox2} \cdot \Box_v^{-l}$, in which k_0 is a cumulative kinetic constant (vide infra), C_{Red1} and C_{Ox2} are the molar concentrations of the substrate and 100 101 the oxidant in the system as a whole (semiconductor surface + water bulk, mol L⁻¹) and \Box_v is 102 the volumetric rate of radiation absorption (mol L^{-1} s⁻¹). Eq.(1) is a simplification of a more 103 general one, in which a second dimensionless variable ζ , expressing the net fraction of light-104 generated charge carriers that reach the surface, was present. In the model here adopted $\zeta=1$. 105 In the case of larger particles where resistance to charge carriers transfer to the surface could 106 be present, or when absorbed light is large, $0 < \zeta < 1$. This would change only the relative scalar 107 value of effective light absorbed.

108 In the limit of low quantum yield, $\frac{y}{2} \ll 2$, eq. (1) can be approximated to:

109
$$\eta = -\frac{y}{2} + \sqrt{y} \tag{2}$$

This holds true when: *i*) k_0 is small, i.e. the photocatalytic process is hindered because of large recombination and/or sluggish charge transfer at the surface; *ii*) C_{Redl} and/or C_{Ox2} are small, thus favouring recombination over charge transfer; *iii*) ϕ_v is large compared with $k_0 \cdot C_{Redl} \cdot C_{Ox2}$, which means that the recombination processes (*second* order with respect to the charge carrier concentrations) overcome the charge transfer kinetics (*first* order with respect to the charge carrier concentrations).

116 The rate of the photocatalytic process is given by definition as the product of quantum 117 yield and volumetric rate of absorption. Then

118
$$\frac{rate}{C_{cat}} = -\frac{k'}{2} + \sqrt{\frac{k'\phi_v}{C_{cat}}}$$
(3)

119 in which $k' \cdot C_{cat} = k_0 \cdot C_{Redl} \cdot C_{Ox2}$. In a one-dimensional photocatalytic reactor, like that used in 120 batch experiments where a container is illuminated from the top, the light intensity is a 121 function of the optical depth *z*, and, consequently, the volumetric rate of absorption $\Box_v(z)$ can 122 be expressed as $\Box_v(z) = \kappa(\lambda) \cdot I(z) \cdot 10^3$, where $\kappa(\lambda)$ represent the wavelength dependent 123 absorption coefficient (cm⁻¹) and I(z) is the radiation intensity at the depth *z* inside the 124 solution in mol s⁻¹ cm⁻². The observed rate is the integral of eq. (3) over the overall optical 125 depth *b*:

126
$$\frac{rate_{obs}}{C_{cat}} = -\frac{k'}{2} + \frac{1}{b} \int_{0}^{b} \sqrt{\frac{k'\phi_v(z)}{C_{cat}}} dz$$
(4)

127 Introducing the expression of $\Box_{\nu}(z)$ in eq. (4), and considering $\kappa(\lambda) = 10^{-3} \ln(10) \cdot \varepsilon_{abs}(\lambda) \cdot C_{cat}$ 128 (where ε_{abs} is the specific absorption coefficient in cm² g⁻¹), one obtains eq. (5):

129
$$\frac{rate_{obs}}{C_{cat}} = -\frac{k}{2} + \sqrt{ln (10) I_0 k} \varepsilon_{abs}(\lambda) \chi$$
(5)

130 in which I_0 is the incident radiation intensity at the top of the slurry expressed in mol s⁻¹ cm⁻² 131 and χ is the dimensionless average square root of normalized absorbed light in the reactor 132 expressed as:

133
$$\chi = \frac{1}{b} \int_{0}^{b} \sqrt{\frac{I(z)}{I_0}} dz$$
 (6)

134 It is often not recognized that the rate expressed in eq. (5) provides a saturative dependence 135 on the substrate concentration. Almost the same behaviour is provided by the L-H equation, 136 but from an erroneous starting-point. [16] The kinetic relationship (5) has general 137 applicability, independently on the optical and morphological properties of particles, provided 138 that the slurry is sufficiently stable regarding sedimentation. The application of Eq.(5) needs 139 that the hypotheses under which it was derived are fulfilled, namely that: 1) $y \le 4$ (that is low 140 quantum yield regime). For quantum yield < 0.3-0.4 the approximated equation is always 141 valid. In the case that ζ (see above) were < 1, this would proportionally reduce the maximum 142 quantum yield for which the model is applicable; 2) the original model does not take into 143 account the back reactions, which could be present with some substrates. This is not the case 144 for formic acid here used as substrate.

The intensity of the light as a function of the optical depth can be approximated with theKubelka–Munk (K-M) equation: [15]

147
$$I(z) = \frac{vI_0}{usinh(v\sigma z) + v\cosh(v\sigma z)}; \text{ with } u = 1 + \frac{\kappa(\lambda)}{\sigma(\lambda)}, \text{ and with } v = \sqrt{u^2 - 1} \qquad (7)$$

148 where the parameters $\sigma(\lambda)$ and $\kappa(\lambda)$ represent the wavelength dependent scattering and 149 absorption coefficients in cm⁻¹. Eq. (7) reduces to the Lambert–Beer law for $\sigma \to 0$:

150
$$I(z) = I_0 e^{-\kappa z}$$
 (8)

151 The K-M equation explicitly gives the transmittance as a function of the optical path z using 152 scattering and absorption optical constants. It will be used to obtain these parameters from 153 experimental transmittance. Rigorously, Eq. (7) could only be applied when monochromatic 154 light is employed, or when the emission spectral range is sufficiently narrow that the 155 variations of the optical constants are negligible compared with the uncertainty of the adopted 156 technique. The approximation involved in K-M equation and its accuracy was studied using the numerical solution of the integro-differential radiative transfer equation (RTE) for the 157 158 sparse distribution of spherical scatterers. Except for low optical thickness, the relative errors 159 are under few percent.[29] The numerical solution of RTE was used in reactor modelling and 160 for the evaluation of absorbed light [30, 31]. The use of a more complex tool like the

161 numerical solution of RTE to fit experimental data is obviously possible although requiring 162 skills not available in all laboratories. The comparison with optical parameters obtained using

163 K-M and the reported values obtained through the RTE solution is discussed later.

Here the integration along the irradiated slurry depth according to Eq.(6) was performed numerically on experimental data. An explanatory scheme of the adopted procedure to evaluate the optical properties of the investigated photocatalyst is reported in Figure 1-SM of the Supplementary Material, hereafter SM.

168 **3. Experimental**

169 *3.1. Reagents and materials*

170 Formic acid (99%) was purchased from Riedel-de Haën, hydrochloric acid (37%) from 171 Carlo Erba, potassium hydroxide (>99%) from Sigma-Aldrich. In this work four different 172 types of commercial titanium dioxide were used: Evonik P25 (BET area ca 50 m²g⁻¹, 80%) anatase/20% rutile), Hombikat UV100 (BET area ca 348 m²g⁻¹, 100% anatase), Merck TiO₂ 173 174 (BET area ca 10 m²g⁻¹, 100% anatase) and Wackherr TiO₂ (BET area ca 8.5 m²g⁻¹, 100% anatase). The water used in all the experiments was of Milli-Q[®] guality. Titanium dioxide 175 176 water suspensions were prepared by sonication with a 205W Branson 2200 sonicator for 15 177 minutes.

178 *3.2. Determination of optical properties*

179 The optical properties of each titanium dioxide specimen were determined through the 180 evaluation of the χ parameter through the measure of the transmittance as a function of the 181 concentration of the semiconductor suspensions, recording the intensity of the light 182 transmitted as a function of the optical path *b*.

183 For an accurate measurement of the transmission and of the χ parameter, a custom-built 184 cylindrical cell in black HDPE was used. This cell was fitted with an optical glass disk in the bottom (transmittance at 365 nm \approx 100%, width = 5 mm), which allows the transmission of 185 186 light and acts as support for TiO₂ suspensions. The UV probe with cosine correction working 187 in the range 290-400 nm is housed immediately below the glass disk. The transmitted light 188 was recorded using a CO.FO.ME.GRA (Milan, Italy) Solarbox Multimeter connected with the 189 probe. A schematic representation of the device is reported in Figure 1 A, B. Data for the 190 evaluation of the χ parameter were obtained in a very short timescale (i.e. less than a minute), 191 by measuring the transmission of few aliquots with fixed volume at a given C_{cat}. The 192 numerous transmittance measures for optical parameter evaluation required longer time to be 193 carried out (in the order of tens of minutes). These measurements at different optical depths b

194 were carried out adding stepwise 0.5 mL of suspensions with diverse concentrations of TiO₂.

- 195 In this temporal range the only titania specimens with sufficient stability were Evonik P25
- and Hombikat UV100. The value of b was calculated from the known diameter of the cell.
- 197 The maximum b was limited to 12 mm, a value much lower than the height of the cell (70 mm
- 198 from the top of glass), to avoid cosine error from the illuminating source. The UV source was
- a 9 W Philips PL-S lamp with an emission maximum at 360 nm (the normalized emission
- spectrum of the lamp is reported in Figure 1C). It was positioned horizontally with respect to
- 201 the cell as evidenced on Figure 1A (not in scale).



202

Figure 1. System used for the determination of the optical properties of TiO_2 suspensions. (A) Transversal section; (B) view from above and (C) emission spectrum of the Philips PL-S 9W BLB lamp normalized for the emission maximum. 1) HDPE walls; 2) optical glass disk; 3) UV probe; 4) TiO_2 suspension with depth *b*; 5) irradiance meter; 6) UV source.

207 *3.3. Irradiation experiments*

Samples containing TiO_2 0.1-1.0 g L⁻¹ and formic acid 0.2-1.0 mM were put into cylindrical Pyrex glass cells (4.0 cm diameter, 2.5 cm height). The UV source was the same used for the measurement of the optical properties. To ensure a controlled illumination distribution in the system, Pyrex cells were put into a home-made black HDPE container with the same size and geometry of the one described above for the optical measurements. Experiments were carried out in the presence of magnetic stirring. Samples were held for several hours in the dark to reach the absorption equilibrium of formic acid on the catalyst surface before the start of the irradiation.

The photon irradiance at the top of the cells was 20.3 W m⁻² in the 290-400 nm range, corresponding to 6.1×10^{-9} mol s⁻¹ cm⁻² considering 365 nm as the average wavelength of the photons emitted by the lamp.

219 After irradiation, samples were brought to pH 2 with hydrochloric acid to protonate formic 220 acid and remove adsorbed molecules from the catalyst surface. After acidification, 221 suspensions were filtered through 0.45 µm membranes (PTFE, Millipore), the pH was re-222 established with potassium hydroxide, and then analysed. The profiles of photocatalytic 223 degradation of HCOOH were well described with first order kinetic equation $[F]_t = [F]_0 \exp(-k_{abs}t)$ where $[F]_t$ is the formic acid concentration at time t, $[F]_0$ the initial 224 concentration and k_{obs} the observed pseudo-first-order degradation rate constant. The initial 225 226 degradation rate of formic acid was calculated as $k_{obs}[F]_0$.

227 *3.4. Analytical determinations*

The analysis of formate was carried out by means of ion chromatography with a Dionex DX 500 instrument equipped with an ED40 conductibility detector, a LC30 chromatography oven, a GP40 pump, an AS9-HC ion exchange column (250 mm x 4 mm i.d.), an ION PAC AG9-HC pre-column and an ASRS-ULTRA 4 mm suppressor. Formic acid was eluted with 80/20 mixture of K_2CO_3 9 mM/Milli-Q water with a flow rate of 0.9 mL min⁻¹ and with an SRS current of 100 mA. Under these conditions, the retention time for formic acid was 4.95 min.

4. Results and discussion

*4.1. Optical properties of TiO*₂ suspensions

Figure 2 shows the value of χ for the four different commercial TiO₂ investigated as a function of the concentration of the photocatalyst. The χ values were obtained by integrating the transmitted light intensity as a function of the optical path *b*, according with the definition of the parameter χ in the eq. (6), up to a maximum $b_{max} = 12$ mm.

241 χ decreases with the increment of C_{cat} for each catalyst. This is in agreement with the 242 definition of χ , as an increase in the semiconductors concentration leads to an enhanced 243 intensity of light scattering and absorption, decreasing the average rate of absorption when 244 considering the whole reactor. As the rate normalized for C_{cat} depends linearly on χ (eq. 5), 245 catalysts with more negative slope in Figure 2 are more subject to the so called *shielding* 246 *effect* which is often invoked to explain the bell-shaped profile of the photocatalytic rate of a process as a function of the catalyst loading of the slurry, [15, 32] also for organic photocatalysts. [33] With larger negative slopes, at the same C_{cat} , the strong extinction (scattering + absorption) in the very first layers of the irradiated slurry hinders photons to reach the bottom of the reactor decreasing the observed rate, which is averaged on the whole volume of the reactor.

- 252 TiO₂ Evonik P25 is characterized by the lowest values of χ . This happens because P25 is
- 253 characterized by a high intensity of scattering of the incident light compared with the other
- TiO₂ specimens (see also later for a discussion). [34]



255

Figure 2. Values of the parameter χ computed through Eq. (6) for different specimens of commercial TiO₂ at different catalyst concentrations.

According to the eq. (5), a catalyst at a given C_{cat} with a high χ could provide a degradation rate higher than that for a semiconductor with lower χ values. This relationship is useful to compare the photocatalytic efficiency among different kinds of materials, and might allow the development of new types of catalysts with high efficiency by monitoring their optical properties.

263 The dependence of transmitted light intensity both on b value and catalyst concentration 264 was carefully studied on Evonik P25 suspensions with loadings from 0.05 to 0.6 g L^{-1} , and 265 from 0.05 to 1.0 g L⁻¹ for Hombikat UV100. The different loading ranges were chosen 266 because the larger extinction of P25 suspensions hinders the accurate determination of the 267 light transmitted for larger loadings, even for short optical depths. The raw data are reported 268 in Figure 2-SM. Each observed dependence on b values at fixed C_{cat} are well described by the 269 Lambert-Beer law (where attenuation is due to the extinction coefficient) or alternatively by 270 eq. (7) (see later), with the exception of the data at very low optical depth, especially with 271 larger catalyst loadings. In these conditions the measured extinction is lower than the

predicted one, as a consequence of possible interfering optical phenomena, like the formation of a convex meniscus acting as a lens, which converges the light onto the centre of the probe body. This effect should be more important at low *b* and at large C_{cat} and could not be completely compensated by the adopted cosine corrector.

For each catalyst the entire dataset (dependence on *b* and C_{cat}) was fitted with eq. (7) to obtain specific coefficient for absorption (ε_{abs}) and scattering (ε_{sca}), which are related to the Kubelka-Munk coefficients κ and σ according to the following equations:

279
$$\varepsilon_{abs}(\lambda) = \frac{\kappa(\lambda) \, 10^3}{\ln(10)C_{cat}} \tag{9a}$$

280
$$\varepsilon_{sca}(\lambda) = \frac{\sigma(\lambda) \, 10^3}{\ln(10)C_{cat}} \tag{9b}$$

281

282



283

Figure 3 Normalized radiation intensity I / I_{θ} as a function at the optical depth b and catalyst loading (in g L⁻¹, see legend) for Evonik P25 (top) and Hombikat UV100 (bottom) suspensions. For each catalyst the curves were obtained from the best fit of the overall dataset with eq. (7) with ε_{abs} and ε_{sca} as the only fit parameters for the whole set of catalyst loadings.

Figure 3 A,B show the experimental data used to carry out the fit together with the fit curves. They described quite well the experimental data. For each catalyst all the data were fit with ε_{abs} and ε_{sca} as the only fit parameters, considering for each profile the actual catalyst loading. Surprisingly, although the simplest approximation for absorption/scattering, the K-M equation works quite well, as reported for a variety of other experimental situations. [35]

The lamp emission spectrum is narrow and the spectral variations of the optical constants could be considered minor. In the case of polychromatic light the approach here proposed can still be employed, but the obtained optical constants would have an empirical and average meaning only. They allow comparing the properties of different photocatalysts under real illumination conditions, but can only partially compared with the values measured with monochromatic light.

299 The fit parameters are reported in Table 1 together with the ratio between ε_{sca} and ε_{abs} . The 300 specific absorption coefficient for TiO₂ P25 is five times larger than that of TiO₂ UV100, 301 while the specific scattering coefficient is roughly 2 times larger for TiO₂ P25, as also 302 observed in ref. [34]. The ratio between the coefficients is 4 and 9 for P25 and UV100, 303 respectively, suggesting that - from an optical point of view - P25 better exploits the incident light than UV 100, despite of the higher ε_{sca} . The larger absorption coefficient potentially 304 305 leads to a larger photocatalytic rate. Conversely, the larger scattering coefficient of P25 306 compared to UV100 limits χ , which is always lower for P25 than for Hombikat UV100. The 307 fraction of light scattered does not contribute to the overall rate and ultimately represents an 308 unused contribution.

309

Table 1. Coefficients for scattering ε_{sca} and absorption ε_{abs} , and their ratio for TiO₂ specimens Evonik P25 and Hombikat UV 100.

	Evonik P25	Hombikat UV100
$arepsilon_{sca}$, cm 2 g $^{-1}$	(6.5±1.1)·10 ³	(3.1±0.3)·10 ³
${m {m arepsilon}}_{abs}$, cm² g-1	(1.6±0.2)·10 ³	(0.34±0.03)·10 ³
$\varepsilon_{sca}/\varepsilon_{abs}$ ratio	4.1±0.9	9.0±1.7

³¹²

The data of Table 1, including the ε_{sca} to ε_{abs} ratios, are of the same order of magnitude, but significantly lower than those previously reported [34], and in particular of figures 6,7 of ref. [36]. The reason can be easily related to the different adopted procedures and setup. While in ref. [34] the incident light is monochromatic, and therefore the optical parameters are referred to a specific wavelength, in this work the parameters obtained are mediated over the range of wavelengths emitted by the used lamp, and effectively used in the cell volume. As it occurs experimentally, as photons scattered outside the lateral walls do not contribute the 320 photocatalytic process, in the setup here used they are not collected by the detector. Then the 321 obtained values refer only to the lamp used, but are relevant for the (commonly) used 322 experimental setup. In addition, the method here proposed is easier to apply, because it does 323 not require *i*) the use of a spectrophotometer equipped with total diffuse reflectance accessory 324 as used by Cabrera *et al.* to evaluate absorption and forward scattering; *ii*) the application of 325 the quite complex radiative transport equation to obtain the scattering and absorption coefficients. [34] The data reported in Table 1 are more similar to the experimental extinction 326 327 coefficients reported by Egerton [22], obtained on rutile powders with different particle size. 328 In agreement with Egerton's data, for the photocatalysts here investigated we found a marked 329 decrease in the extinction coefficient with decreasing particle size.

330 *4.2. Photodegradation experiments*

331 The influence of the optical parameters on the degradation rate was evaluated by carrying 332 out formic acid photodegradation experiments in the presence of P25 and UV100 specimens, 333 for which the absorption and scattering coefficients were evaluated. Formic acid was chosen 334 as substrate because it is not subjected to back-reactions.[37] Furthermore, thanks to the 335 extremely reducing potential of the couple CO_2^{\bullet}/CO_2 [38] the formate radical is able to inject 336 an electron into the conduction band evolving directly to CO₂. This process is usually reported as current doubling [39-42]. Firstly, we followed the degradation of 0.2 mM formic 337 338 acid at different concentrations of TiO₂ suspensions, thus working at significant different χ 339 values. This concentration (0.2 mM) was the lowest concentration for which it was 340 experimentally possible to follow the decay profile. At the same time this concentration was 341 supposed to be low enough to allow the approximation y/2 << 2, and, therefore, the use of eq. 342 (5) to describe the kinetic data.



343

Figure 4. A) HCOOH degradation rates vs. C_{cat} and B) degradation rates normalized for C_{cat} as a function of χ for TiO₂ P25 and UV100 at 0.2 mM initial [HCOOH].

The time evolution of formic acid for P25 and UV100 at different C_{cat} are reported in Figure 3-SM. Figure 4A shows the rate as a function of C_{cat} . The rates normalized for the catalyst concentration are reported in Figure 4B as functions of χ . The term $rate_{obs}/C_{cat}$ proportionally increases with increasing χ , as predicted by eq. (5), for both catalysts.

The role of factors other than the light scavenging for the two semiconductors was estimated by evaluation of k' in eq. (5) through the fit of the data reported in Figure 4B. In eq. (5) k' is the only fit parameter, being known the other terms under the square root, namely I_0 and ε_{abs} . The nonlinear fit (as k' is both in the intercept and slope of the straight line) gives the cumulative constant k', which is reported with its contributions in eq. (10): [15]

355
$$k' = k_{ox,s}k_{red,s}K_{Red_1}K_{Ox_2}C_{Red_1}[Ox_{2,f}]S(2k_{R,s}a_s^2)^{-1}(1 + K_{Ox_2}[Ox_{2,f}])^{-1}$$

356 (10)

357 where $k_{ox,s}$ and $k_{red,s}$ are the rate constants for the oxidation and the reduction processes, 358 K_{Red_1} and K_{Ox_2} are the adsorption constants for substrate and the oxidant (in this case oxygen) respectively, C_{Red_1} is the molar concentration of the substrate in solution, $[Ox_{2,f}]$ is the molar 359 360 concentration of oxygen in the water bulk, S is the photocatalyst specific surface area, $k_{R,S}$ is 361 the recombination rate constant between surface-trapped electrons and holes, a_s is the specific 362 area of the exchange site on the photocatalyst surface. The intrinsic (crystallographic phase, 363 surface defects, band potentials, doping, ...) and extrinsic properties (pH, composition of the 364 solution, presence complexing ions, ...) influence all the kinetic and thermodynamic constants 365 included in the parameter k'.

366 The obtained values for k' are 0.36 and 0.22 μ mol s⁻¹ g⁻¹ for Evonik P25 and for Hombikat 367 UV100, respectively. Dividing k' by C_{redl} and S one gets the value of the kinetic cumulative constants independent on the substrate concentration and equal $k''=3.6\times10^{-8}$ and 1.1×10^{-8} m s⁻ 368 369 ¹ for Evonik P25 and UV100, respectively. Then the bundle of constants (kinetic and thermodynamic) is about 3 times lower for UV100. The intrinsic heterogeneity of the TiO₂ 370 371 P25 structure (with the contemporary presence of two crystallographic phase, anatase and 372 rutile, closely interacting) has been often reported as the driving force able to increase the 373 kinetics of separation of the photo-formed charge carriers and consequently decrease the recombination kinetics. [43, 44] Eq. (10) shows that k'' is inversely proportional to the 374 375 recombination rate constant. Therefore, supposing similar reaction and partitioning constants for P25 and UV100, the lower k'' values for UV100 could be ascribed to a recombination 376 377 process more marked (larger $k_{R,s}$) on this photocatalyst than on TiO₂ P25.

A larger concentration of formic acid (1.0 mM) was also tested at different concentrations of TiO₂ (i.e. at different χ values) as done for the lower concentration. The time evolution of formic acid for P25 and UV100 at different C_{cat} are reported in Figure 4-SM. At 1 mM of formic acid it can be observed from Figure 5A that: *i*) UV100 outperformed P25, contrarily to 382 the degradations carried out at low concentration; *ii*) the degradation rate with UV100 was significantly higher than at 0.2 mM; and *iii*) P25 displayed nearly the same degradation rate at 383 384 the two formic acid concentrations. Although the rate normalized for C_{cat} is linear versus χ 385 (Figure 5B), the fit with eq. (5) is inconsistent, because the slope, especially for UV100, 386 implies ε_{abs} values significantly different from those reported in Table 1. Then at higher concentration the approximation on which eq. (5) was derived is no more valid, that is 387 388 y/2 << 2 is no more legitimate. It is here useful to recall that y increases with C_{red} . 389 Furthermore, at larger substrate concentration other kinds of surface sites not involved at low 390 concentration could be interested, making the kinetic description of the process more 391 complex, as previously observed for the photocatalytic transformation of glycerol on TiO₂ 392 P25. [19, 21] There it was observed that passing from low to higher concentrations of 393 substrate, there is a change of the basic mechanism of electron transfer, form the direct one (at 394 the interface), favoured by surface complexation, to an indirect one (across the interface), in 395 which the substrate is not bound.[37]



396

Figure 5. A) HCOOH degradation rates vs. C_{cat} and B) degradation rates normalized for C_{cat} as a function of χ for TiO₂ P25 and UV100 at 1.0 mM initial [HCOOH].

5. Conclusions

The rate is influenced by a large variety of parameters that are difficult to evaluate. Under defined conditions we proved that optical properties of catalysts can be easily evaluated, and that their contribution to the overall efficiency can be assessed through the χ parameter. The method here proposed can be used to calculate the scattering and absorption properties averaged over the emission spectrum of the lamp employed in the photocatalytic reactor. Consequently, it is possible to easily uncover the most promising photocatalyst from an optical point of view.

407 The degradation rate of formic acid changes accordingly with the eq. (5). Experimental 408 data can be properly described by the quadratic kinetic model in the conditions of relatively 409 low quantum yield. [15] Moreover, given the optical parameters, the evaluation of k' from the 410 *rate*/ C_{cat} vs χ plot allows to assess a lumped parameter specific of each catalyst, reflecting the 411 base physical processes of charge carriers, catalyst surface area and substrate adsorption 412 constant. This evaluation is not possible when comparing only the rate, mainly if this is 413 obtained at a given C_{cat} in a custom experimental setup. The proposed approach can be the 414 starting point for fixing conditions to compare different photocatalysts. In particular, besides 415 the substrate concentration, the catalysts have to be compared to the same χ value. This is 416 important in the growing field of the development of new and more efficient photocatalysts.

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February 1944- 25 July 2017) – University of Torino, Italy - for his pioneering research in
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